### The first view of $\delta$ Scuti and $\gamma$ Doradus stars with the *TESS* mission

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### ABSTRACT

We present the first asteroseismic results for  $\delta$  Scuti and  $\gamma$  Doradus stars observed in Sectors 1 and 2 of the *TESS* mission. We utilize the 2-min cadence *TESS* data for a sample of 117 stars to classify their behaviour regarding variability and place them in the Hertzsprung–Russell diagram using *Gaia* DR2 data. Included within our sample are the eponymous members of two pulsator classes,  $\gamma$  Doradus and SX Phoenicis. Our sample of pulsating intermediate-mass stars observed by *TESS* also allows us to confront theoretical models of pulsation driving in the classical instability strip for the first time and show that mixing processes in the outer envelope play an important role. We derive an empirical estimate of 74 per cent for the relative amplitude suppression factor as a result of the redder *TESS* passband compared to the *Kepler* mission using a pulsating eclipsing binary system. Furthermore, our sample contains many high-frequency pulsators, allowing us to probe the frequency variability of hot young  $\delta$  Scuti stars, which were lacking in the *Kepler* mission data set, and identify promising targets for future asteroseismic modelling. The *TESS* data also allow us to refine the stellar parameters of SX Phoenicis, which is believed to be a blue straggler.

**Key words:** asteroseismology–techniques: photometric–stars: chemically peculiar–stars: interiors–stars: variables:  $\delta$  Scuti.

### **1 INTRODUCTION**

One of the important and long-standing goals within astronomy is to constrain the largely unknown interior physics of stars across

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the Hertzsprung–Russell (HR) diagram, and ultimately improve our understanding of stellar evolution. In particular, the interior rotation, mixing and angular momentum profiles represent significant uncertainties in theoretical models of stellar structure. All these uncertainties propagate from the main sequence into later stages as these strongly influence the evolution of a star (Maeder 2009; Meynet et al. 2013; Aerts, Mathis & Rogers 2019). The only observational method for determining these unknowns in models is asteroseismology, which uses stellar oscillations to probe the subsurface physics of stars (Aerts, Christensen-Dalsgaard & Kurtz 2010). Asteroseismology allows us to test internal stellar physics across the entire HR diagram, since different classes of pulsating stars exist at various stages of stellar evolution.

Stellar pulsations in intermediate-mass stars are principally of two main types, characterized by their respective restoring mechanisms: pressure (p) modes, where pressure forces restore perturbations, and gravity (g) modes, where buoyancy does (Aerts et al. 2010). However, for moderately and rapidly rotating stars, the Coriolis force is also important as a restoring force, leading to gravito-inertial modes, or Rossby (r) modes (Saio et al. 2018a). Typically p modes are most sensitive to the stellar envelope whereas g modes probe the near-core region, with pulsations described by spherical harmonics such that each p or g mode has a radial order, *n*, angular degree,  $\ell$ , and azimuthal order, *m*.

In the last two decades, space telescopes such as *WIRE* (Buzasi et al. 2005), *MOST* (Matthews 2007), *CoRoT* (Auvergne et al. 2009), *Kepler* (Koch et al. 2010), and *BRITE* (Weiss et al. 2014) have provided the necessary continuous, long-term and high-precision time series photometry for the identification of large numbers of individual pulsation modes in single stars. Hence asteroseismology has been successfully applied to hundreds of solar-type and tens of thousands of red giant stars (Chaplin & Miglio 2013), as well as dozens of pulsating white dwarfs and intermediate-mass main-sequence stars (e.g. Aerts, Van Reeth & Tkachenko 2017; Aerts et al. 2019; Li et al. 2019a).

Among the intermediate-mass main-sequence A and F stars, there are different pulsator classes, such as the  $\delta$  Sct,  $\gamma$  Dor, and rapidly oscillating Ap (roAp) stars. These classes are located at the intersection of the main sequence and the classical instability strip in the HR diagram, and exhibit p-modes and/or g-modes pulsations (Breger 2000; Aerts et al. 2010). The high-frequency ( $\nu \ge 4 d^{-1}$ ), low-radial order p modes in  $\delta$  Sct stars<sup>1</sup> are excited by the opacity mechanism operating in the HeII ionization zone, as well as by turbulent pressure, which has also been shown to be responsible for excitation of moderate radial order p modes within the classical instability strip (Antoci et al. 2014; Xiong et al. 2016). On the other hand, low-frequency ( $\nu \leq 4 d^{-1}$ ) g modes in  $\gamma$  Dor stars are excited by a convective flux modulation mechanism (Guzik et al. 2000; Dupret et al. 2005; Grigahcène et al. 2010). The instability regions of the  $\delta$  Sct and  $\gamma$  Dor stars partially overlap in the HR diagram (Dupret et al. 2005), and include stars on the pre-main sequence, the main sequence, and post-main sequence with typically masses in the range of  $1.2 \,\mathrm{M_{\odot}} \le M \le 2.5 \,\mathrm{M_{\odot}}^2$ 

Space telescopes have provided continuous, long-term light curves of tens of thousands of pulsating stars. In particular, *Kepler* heralded a large and important step forward for asteroseismology of  $\delta$  Sct and  $\gamma$  Dor stars, since its 4-yr light curves provided unprecedented frequency resolution and duty cycle, both of which are necessary for accurate mode identification. An unexpected discovery was that many pulsating A and F stars are hybrid pulsators exhibiting both p and g modes (Grigahcène et al. 2010; Balona & Dziembowski 2011; Uytterhoeven et al. 2011), although pure pulsators of both types do exist (see e.g. Van Reeth et al. 2015a; Bowman 2017; Barceló Forteza, Roca Cortés & García 2018; Li et al. 2019a). The high incidence of hybrid stars remains unexplained, particularly if a single excitation mechanism should be responsible for both the p and g modes in hybrid stars (Balona, Daszyńska-Daszkiewicz & Pamyatnykh 2015; Xiong et al. 2016). This incomplete understanding of pulsational excitation in A and F stars is further complicated by the observation that a significant fraction of hybrids,  $\gamma$  Dor and  $\delta$  Sct stars are hotter than their theoretically predicted instability regions, and that constant stars also exist within the  $\delta$  Sct instability domain (Bowman & Kurtz 2018; Murphy et al. 2019).

A major advance in asteroseismology has been the characterization of internal rotation profiles of dozens of A and F stars using their g-mode pulsations (Van Reeth, Tkachenko & Aerts 2016; Aerts et al. 2017; Li et al. 2019a). From these studies, it has been inferred that a significant fraction of intermediate-mass main-sequence stars have, at first sight, near-uniform radial rotation profiles (e.g. Kurtz et al. 2014; Saio et al. 2015; Van Reeth et al. 2016, 2018; Ouazzani et al. 2017; Christophe et al. 2018; Li et al. 2019a,b), however in order to draw a final conclusion detailed studies in the manner of. e.g. Ouazzani, Dupret & Reese (2012) and Hatta et al. (2019) are required. Furthermore, the large number of excited g modes in these stars allow the physics of convective core overshooting and chemical mixing to be probed, as well as accurate determinations of stellar masses and ages using forward seismic modelling (Schmid & Aerts 2016; Aerts et al. 2018; Mombarg et al. 2019). These studies clearly demonstrate the asteroseismic potential of high-quality space-based observations of intermediate-mass stars.

Although the pulsation mode density is typically high in  $\delta$  Sct stars hampering mode identification, some stars have been shown to show regularities in their spectra consistent with the so-called large frequency separation which may aid in mode identification and modelling of p modes (see e.g. García Hernández et al. 2015, 2017; Paparó et al. 2016a,b; Barceló Forteza et al. 2017). The large frequency separation is the separation between consecutive radial order modes of the same degree and is a well-known quantity in the context of Sun and Sun-like stars (Aerts et al. 2010). When using the same quantity for  $\delta$  Sct stars, special care must be taken as these stars typically pulsate in lower radial order modes, where the large frequency separation deviates from the one measured at higher radial orders. Nevertheless, it was shown that these patterns are also proportional to the mean density of the stars (Suárez et al. 2014) which was observationally confirmed (García Hernández et al. 2015, 2017).

More recently, the successful launch of *TESS* and the delivery of the first *TESS* mission data (Ricker et al. 2014, 2015), which are in the southern ecliptic hemisphere, provide new insight into pulsation and rotation in intermediate-mass stars (e.g. Cunha et al. 2019; Sikora et al. 2019). The primary mission of *TESS* follows the groundwork of the *Kepler* mission, and aims to detect planetary transits in the brightest stars across the sky. *TESS* data cover almost the entire sky (|b| > 6 deg) at a cadence of 30 min and are publicly available to the community in the form of full frame images. However, a subsample of stars were selected to be observed at a 2-min cadence in each *TESS* observing sector and light curves of these stars are being delivered to the community a few months after observations have been obtained. Therefore, *TESS* provides a unique homogenous data set to test and constrain much of the currently unknown physics inside main-sequence A and F stars.

In this paper, we demonstrate the asteroseismic potential of *TESS* for the study of intermediate-mass stars, specifically for  $\delta$  Sct and  $\gamma$  Dor stars. We show a selection of different types of pulsator

<sup>&</sup>lt;sup>1</sup>The exact boundary between p and g modes depends on the stellar parameters, and especially the rotation of the star.

 $<sup>^2</sup> In$  the case of low metallicity the mass can be lower than 1.2  $M_{\odot},$  see e.g. Section 6.3.

classes, including some of the class prototypes, and the significant advantages and inference that can be achieved using *TESS* mission data. In addition, we show how theoretical models regarding the excitation of pulsations in A and F stars can be tested. In the following subsections, we briefly outline the different pulsator classes within the A and F stars.

### 2 THE PULSATION ZOO OF A AND F STARS

It is estimated that approximately half of the stars within the classical instability strip are pulsating at the µmag photometric precision provided by space telescopes (Balona & Dziembowski 2011; Murphy et al. 2019). It remains a mystery why the other half do not show pulsations, especially at that precision. Among the intermediate-mass stars there is a veritable zoo of different pulsator classes. The heterogeneity of variability in these stars allows us to test different physical phenomena, such as rotation, diffusion, and convection. Obviously, this is because the differences in observed pulsation characteristics are caused by differences in stellar structure, evolutionary stage, and/or metallicity. Here, we briefly discuss the zoo of pulsating A and F stars.

### 2.1 Ap and Am stars

Stars within the  $\delta$  Sct instability strip are predicted to pulsate in p modes excited by the opacity mechanism operating in the He II ionization zone (Cox 1963; Aerts et al. 2010) as well as by turbulent pressure (e.g. Antoci et al. 2014). However, whether a star is unstable to pulsation strongly depends on mixing processes, such as rotation or the presence of a strong magnetic field, which can suppress the excitation of heat-driven (opacity mechanism) pulsation modes.

Slow rotation in intermediate-mass stars is typically caused by one of two mechanisms: (i) magnetic braking by a large-scale magnetic field; or (ii) tidal braking due to tidal forces caused by a close companion. Approximately 10 percent of A-type stars are observed to have a strong, large-scale magnetic field, which is likely of fossil origin and causes magnetic braking during the pre-main-sequence stage (Stępień 2000). The slow rotation and strong magnetic field allow atomic diffusion - radiative levitation and gravitational settling of different ions - to give rise to surface spectral peculiarities (Abt 2000), which define the subclasses of the magnetic Ap stars, and suppress the excitation of low-radial order p modes by the opacity mechanism (Saio 2005). However, a small fraction of these magnetic Ap stars pulsate in high-radial order modes; these are the rapidly oscillating Ap (roAp) stars (Kurtz 1982). The excitation of low-degree, high-radial order magnetoacoustic modes in roAp stars provides the opportunity to study the effects of pulsation and rotation in the presence of strong magnetic fields (Cunha & Gough 2000; Cunha 2001; Bigot & Dziembowski 2002; Saio & Gautschy 2004; Saio 2005; Cunha 2006). We refer the reader to Cunha et al. (2019) for the first results on roAp stars based on TESS data.

The second main subclass of slowly rotating A and F stars are the non-magnetic Am stars (Breger 1970; Conti 1970; Kurtz 1978; Aurière et al. 2010). The presence of a close companion causes tidal braking such that atomic diffusion and gravitational settling separate chemical elements in the stellar envelope, deplete helium from the excitation region, and inhibit the efficiency of pulsational excitation (Michaud 1970; Baglin et al. 1973; Turcotte et al. 2000). However, recent studies focused on the incidence of pulsations in Am stars have found a non-negligible fraction pulsating in p modes (Smalley et al. 2011, 2017) with a significant amount of excitation connected to the turbulent pressure in the hydrogen rather than the He II ionization layer (Antoci et al. 2014; Smalley et al. 2017). We present our analysis of *TESS* photometry of pulsating Am stars in Section 5.

### 2.2 Metal-poor stars

Among the A-type pulsators are two classes of metal-poor stars: the  $\lambda$  Boo stars and SX Phe stars. The  $\lambda$  Boo stars are a spectroscopically defined class in which refractory chemical elements – those with high condensation temperatures in pre-stellar discs – are underabundant by 0.5–2 dex, but volatile elements such as C and O show solar abundance (Andrievsky et al. 2002; Heiter 2002). The peculiarity of these stars is believed to originate from selective accretion of gas with little dust, but the specifics remain uncertain (Venn & Lambert 1990; King 1994; Kama, Folsom & Pinilla 2015), and it is not clear whether the peculiarity is restricted to surface layers only. Approximately 2 per cent of A stars are  $\lambda$  Boo stars (Gray & Corbally 1998), for which a catalogue has been compiled by Murphy et al. (2015). At present, there is no known difference between the pulsational characteristics of  $\lambda$  Boo and  $\delta$  Sct stars and 'normal'  $\delta$  Sct stars.

SX Phe stars, on the other hand, are not a spectroscopically defined class but comprise Population II  $\delta$  Sct stars, though not all of them are metal poor (Nemec et al. 2017). Many SX Phe stars are identified as blue stragglers in clusters, while those in the field are often identified kinematically. The dominant pulsations in SX Phe stars are typically high-amplitude radial modes (Nemec & Mateo 1990; Templeton, Basu & Demarque 2002; Murphy et al. 2013) but can also have low amplitudes (Kurtz et al. 2014). We analyse *TESS* data for SX Phe itself in Section 6.3.

### 2.3 High-amplitude $\delta$ Sct stars

High-amplitude  $\delta$  Scuti stars (HADS) are usually recognized by their large-amplitude, non-sinusoidal light curves and small rotational velocities, but their most essential property is the dominant presence of the fundamental and/or first overtone radial mode(s) (Breger 2000; McNamara 2000). In the HR diagram, ground-based observations indicated that HADS occupy a narrow strip in the centre of  $\delta$  Sct instability region, perhaps because the efficiency of mode excitation is maximized in this region (Petersen & Christensen-Dalsgaard 1996). However, space photometry revealed that some HADS can be found throughout the entire instability strip (Balona 2016).

Some studies have investigated whether the properties of HADS could be explained by them being in a post-main-sequence stage of stellar evolution (e.g. Petersen & Christensen-Dalsgaard 1996; Bowman 2017), since they obey a period-luminosity relation which allows an independent distance determination for some stellar systems (e.g. Nemec, Nemec & Lutz 1994; McNamara, Clementini & Marconi 2007; Cohen & Sarajedini 2012; Kopacki 2015; Ziaali et al. 2019), such as globular clusters in which SX Phe stars are abundant. However, there remains no clear consensus on a physical difference between HADS and their lower amplitude  $\delta$  Sct counterparts. Important remaining questions concerning HADS include: the excitation (e.g. Poretti et al. 2011); the relation between the single and double-mode HADS and the stellar parameters; and whether the pulsational properties of SX Phe stars differ from those of Population I HADS. The all-sky TESS sample of HADS will be particularly useful for addressing these questions and will extend the

study of a handful of *Kepler* stars, particularly the seismic modelling of HADS such as those by Breger et al. (2011) and Balona et al. (2012).

The *TESS* sample of HADS and SX Phe stars in Sectors 1 and 2 includes at least 19 stars proposed for 2-min cadence observations based on a review of the ASAS-3 (Pojmanski 1997, 2002) data base (Pigulski & Kotysz, in preparation). The sample includes several known HADS, e.g. ZZ Mic, RS Gru, BS Aqr, and SX Phe itself (see Section 6.3). An example of a known HADS star observed by *TESS*, HD 224852 (TIC 355687188), is presented in detail in Section 6.6.

### 2.4 Pre-main-sequence stars

Intermediate-mass pre-main-sequence stars within the instability regions can become unstable to p and g modes during their evolution from the birthline to the zero-age main sequence (ZAMS). Pre-main-sequence stars differ from their main-sequence and post-main-sequence analogues of similar mass because of their interior structure (Marconi & Palla 1998). Since pulsation modes carry information about the inner parts of stars and show a different pattern for stars on the pre- or the post-main-sequence phases (Suran et al. 2001), it is possible to use asteroseismology to constrain the evolutionary stage of a star (Guenther et al. 2007). This is important because the evolutionary tracks for stars before and after the ZAMS intersect in this part of the HR diagram making it impossible to constrain a star's evolutionary stage from only its effective temperature and luminosity.

In general, without asteroseismology, the pre-main-sequence stage of a star in this region of the HR diagram can only be assessed using certain observational features as indicators. Such indicators for young stars are emission lines in the spectra, infrared or ultraviolet excess, X-ray fluxes, and membership of a young open cluster or a star-forming region, i.e. younger than approximately 10 Myr (Sloan et al. 2004). However, some of these features can also be misleading, since the comparatively old, low-mass asymptotic giant branch (AGB) and post-AGB stars show similar observational properties and populate the same region in the HR diagram as young stellar objects (Kamath, Wood & Van Winckel 2014). Therefore, special care has to be taken when investigating the potential early evolutionary stage of a given star.

Currently, about 80 pre-main-sequence stars are known to be pand g-mode pulsators of three different types: slowly pulsating B (SPB) stars (Gruber et al. 2012),  $\delta$  Sct stars (e.g. Zwintz et al. 2014), and  $\gamma$  Dor stars (Zwintz et al. 2013). Based on their basic properties, such as spectral types and effective temperature, TIC 150394126 and TIC 382551468 are two candidates for  $\delta$  Sct and  $\gamma$  Dor pulsations. The former has an infrared excess (Sloan et al. 2004) and the latter is potentially an Herbig Ae/Be type star, identifying them as likely being in their pre-main-sequence evolutionary stages. We analyse these stars in Section 6.5.

### **3 FREQUENCY ANALYSES OF TESS DATA**

The *TESS* data analysed in this work are the 2-min 'Simple Aperture Photometry' (SAP) light curves provided by the *TESS* Science Team, which are publicly available from the Mikulski Archive for Space Telescopes (MAST).<sup>3</sup> As part of the framework of the asteroseismic working group on pulsating stars of spectral type A



Figure 1. Comparison between the frequency extraction pipelines from Leuven (blue squares) and Aarhus (red circles) showing good agreement between the two different pipelines. The amplitude values are offset for clarity. Upper panel: HD 210111 (TIC 229059574). Lower Panel: TX Ret (TIC 38587180).

and F within the *TESS* Asteroseismic Science Consortium (TASC),<sup>4</sup> 117 known pulsating stars were allocated observing slots at a 2-min cadence by the *TESS* Mission in Sectors 1 and 2 of its 1-yr observing campaign in the southern ecliptic hemisphere. There were more  $\delta$  Sct stars observed in the first two sectors, but for this study we decided to concentrate on those that were allocated to the TASC working group on A and F stars (TASC WG 4). Because g modes have long periods, we did not specifically include known  $\gamma$  Dor stars in our 2-min target list, since these stars will be observed with a cadence of 30 min, which is sufficient to determine their frequencies. We discuss one star that was *not* observed during Sectors 1 and 2 later on. This target is the eponymous star  $\gamma$  Doradus and is described in Section 6.7.

We analysed the *TESS* light curves of our sample in different independent groups, using various frequency extraction software routines. Commonly used programs to perform frequency analysis of light curves are PERIOD04 (Lenz & Breger 2004) and SIGSPEC (Reegen 2007), while the KU Leuven and Aarhus University ECHO (Extraction of CoHerent Oscillations) pipelines were also used. We discuss these pipelines in Sections 3.1 and 3.2, and conclude that they yield compatible results for peaks in the amplitude spectrum with signal to noise (S/N)  $\geq 4$ . A comparison of the significant frequencies identified in two stars by the Leuven and Aarhus pipelines is shown in Fig. 1. We plan to compile a catalogue of pulsating A and F stars observed by *TESS* at the 2-min cadence in the entire southern ecliptic hemisphere, which will include all significant pulsation frequencies and identification of their combination frequencies.

### 3.1 The KU Leuven pipeline

The KU Leuven iterative pre-whitening pipeline was used to extract significant periodic variability in time series data. It uses Lomb–Scargle (Scargle 1982) periodogram and multifrequency non-linear least-squares optimization to extract significant frequencies and their associated amplitudes and phases. Uncertainties on frequencies, amplitudes, and phases are calculated according to Mont-

gomery & O'Donoghue (1999), and corrected for the correlated nature of oversampled time series data following Schwarzenberg-Czerny (2003). The pipeline was developed by Degroote et al. (2009), and improved by Pápics et al. (2012) and Van Reeth et al. (2015b); detailed discussions and applications to pulsating stars observed by *CoRoT* and *Kepler* were provided by these studies.

With this pipeline, peaks in the amplitude spectrum can be extracted in order of decreasing amplitude or decreasing S/N, as specified by the user. Normally, a lower limit of S/N > 4 (Breger et al. 1993) is chosen, where the noise is calculated as the average amplitude in a symmetric 1-d<sup>-1</sup> window in the residual periodogram after pre-whitening. From extensive testing, it has been found that using a window around the extracted peak for calculating a local noise estimate (and hence the S/N) is more pragmatic and reliable for iterative pre-whitening than using a *p*-value (Pápics et al. 2012). Otherwise, hundreds or even thousands of individual frequencies can be found to be statistically significant, yet with an increasing probability of an artificial frequency having been injected during the pre-whitening process into a light curve when the number of iterations becomes large. Typically, this limit is a few hundred frequency extraction iterations for a 4-yr Kepler light curve of a  $\delta$  Sct or  $\gamma$  Dor star, but this depends on the quality and lengths of the data, and assumes that peaks are coherent and so varies from star to star.

### 3.2 ЕСНО

The ECHO program (Extraction of CoHerent Oscillations) was developed at Aarhus University. It extracts coherent signals from photometric light curves using an optimized, iterative pre-whitening technique. Coherent signals are iteratively identified using a Lomb-Scargle periodogram that is calculated using the Press & Rybicki (1989) algorithm, which allows a fast computation for unevenly sampled data. The frequency, amplitude, and phase of an oscillation is computed using the algorithm described by Frandsen et al. (1995). The statistical uncertainties on the amplitudes, frequencies, and phases are calculated according to Montgomery & O'Donoghue (1999). The statistical significances of the extracted signals are estimated from the periodogram using Scargle's significance criterion (Scargle 1982). The extracted signals are continuously optimized at each iteration, taking into account the influence of one signal on another. This is done by reinserting previously extracted signals back into the pre-whitened light curve and redetermining the maximum amplitude of the peak. This may be slightly different from the previously found value, due to the influence of neighbouring peaks (Handberg 2013).

Using simulated light curves, Balona (2014) showed that iterative pre-whitening can lead to a very large number of false detections. This is because imperfect subtraction of signals will inject new, statistically significant signals into the light curve. For this reason, the reliability of each extracted oscillation is determined by comparing the amplitude of an extracted signal  $A_f^{ex}$  to the corresponding amplitude  $A_f^{og}$  in the unaltered, original light curve. If the amplitudes do not agree within a certain limit  $\alpha$ , such that

$$\alpha < \frac{A_{\rm f}^{\rm ex}}{A_{\rm f}^{\rm og}} < \frac{1}{\alpha},\tag{1}$$

the extracted signal is rejected. From simulated light curves, we found that  $\alpha = 0.75$  is a suitable value, keeping the number of false detections to a minimum while still extracting most of the real signals present in the light curve. These simulations were based on 4 yr of *Kepler* data. For shorter observations, our tests showed that

a more conservative factor of  $\alpha = 0.8$  is required. This method is similar to that used by Van Reeth et al. (2015b), although they started with  $\alpha = 0.5$  and allowed it to vary during pre-whitening. In our use of the Leuven and ECHO pipelines, we enforced a maximum number of 100 frequencies that could be extracted, although it was not typically needed since peaks became insignificant before this criterion was met. This is because the pre-whitening of so many peaks can introduce additional signals and make the results unreliable.

In addition, we must be aware that observations of 'only' 27-56 d may not be sufficient to resolve closely spaced frequencies clearly known to be present in many  $\delta$  Sct and  $\gamma$  Dor stars. Kallinger et al. (2017) have gone beyond the formal frequency resolution of  $1/\Delta T$ in their frequency analysis,<sup>5</sup> using a probabilistic approach. We, however, prefer to use the traditional Rayleigh criterion because extracting unresolved frequencies, can lead to overinterpreting the data and wrong input for asteroseismic modelling. We recommend using formally unresolved peaks with extreme caution, and only based on careful testing and the use of additional independent information (e.g. for roAp stars, where an assumption of the oblique pulsator model requires exact splitting in the rotational multiplets). The statistical significance of extracted peaks is an important topic that goes beyond the scope of this paper as we are only showing a first view into TESS  $\delta$  Sct and  $\gamma$  Dor stars. At this stage we are expanding ECHO to also include the 'traditional' SNR test.

### **4 TARGET STARS**

In this section, we present the details of all TASC WG4 A and F stars that are not bona fide or suspected Ap or roAp stars observed in a 2-min cadence in Sectors 1 and 2. The variability type for each star was identified, based on *TESS* data, by visual inspection of the light curves and their Fourier spectra. Spectroscopic and photometric parameters from the literature for all the stars, where available, are assembled in Table 1 in the appendices, including claimed detections of binarity. Note that here we do not evaluate the robustness of these literature values and leave it to the reader to investigate these in detail.

In Table 2, we list the newly derived effective temperatures using the spectral energy distribution method (SED) (see Section 4.1), new spectroscopically derived parameters (see Section 4.2), the dereddened luminosities from Gaia and Hipparcos data (Section 4.3), and the TESS stellar variability type. The latter is one of the following categories: (1)  $\delta$  Sct star:  $\nu \ge 4 d^{-1}$ ; (2)  $\gamma$  Dor star:  $\nu \le 4 d^{-1}$ ; (3) hybrid star: when frequencies were detected in the  $\gamma$  Dor and the  $\delta$  Sct frequency ranges. Note that in many cases the peaks in the  $\gamma$  Dor range were not resolved and more data are required to fully characterize the frequencies. (4) binarity: eclipses and/or ellipsoidal modulation were detected; (5) rotational variable (rot): variability is consistent with rotational modulation of spotted stellar surfaces. (6) no detection: no significant variability was detected. We also note that v Pic (TIC 260416268) was observed during Sectors 1 and 2 but the amplitude differs significantly between the sectors suggesting a problem in the data extraction.

## 4.1 Effective temperatures derived from spectral energy distributions

Effective temperature can be determined from the SED. For our target stars these were constructed from literature photometry, using

<sup>&</sup>lt;sup>5</sup>where  $\Delta T$  is the lengths of the data set.

**Table 1.** Stellar parameters for the *TESS*  $\delta$  Sct and  $\gamma$  Dor pulsators observed at 2-min cadence during the first two pointings (Sectors 1 and 2) in the ecliptic Southern hemisphere. The columns indicate: the *TESS* Input Catalogue (TIC) number, the *TESS* magnitude, an alternative identifier of the star, spectroscopic (Spec.) and photometric (Phot) effective temperatures and log g values and their associated uncertainties from literature respectively. The reference is indicated next to each value. In addition, we list the projected rotational velocity and binarity status as available in literature. The full table is available in the online version in the appendix.

TIC	TESS mag	Alternative identifier	T <sub>eff</sub> (K) Spec.	$\sigma_{T_{\text{eff}}}$ Spec.	T <sub>eff</sub> (K) Phot.	$\sigma_{T_{\text{eff}}}$ Phot.	log g Spec.	$\sigma_{\log g}$ Spec.	log g Phot.	σ <sub>log g</sub> Phot.	$v\sin i$ (km s <sup>-1</sup> )	$\sigma_{\rm vsini}$ (km s <sup>-1</sup> )	binarity
9632550	9.06	BS Aqr	7245 <i>a</i>	75 <i>a</i>	_	_	3.82 <i>a</i>	0.12 <i>a</i>	_	_	23 <i>a</i>	_	_
12470841	8.44	HD 923	_	_	7832 <sup>b</sup>	_	_	_	_	_	_	_	_
12784216	8.92	HD 213125	_	_	6519 <sup>c</sup>	178 <sup>c</sup>	_	_	4.03 <sup>c</sup>	0.26 <sup>c</sup>	_	_	_
12974182	6.78	HD 218003	$7471^{d}$	$95^d$	7584 <sup>e</sup>	208 <sup>e</sup>	3.86 <sup>d</sup>	$0.18^{d}$	$4.05^{e}$	-	-	-	-

Notes. <sup>*a*</sup>Kunder et al. (2017).

<sup>b</sup>McDonald, Zijlstra & Boyer (2012).

<sup>*c*</sup>Huber et al. (2016). <sup>*d*</sup>Stevens, Stassun & Gaudi (2017).

<sup>e</sup>McDonald, Zijlstra & Watson (2017).

**Table 2.** Stellar parameters and variability type of the 2-min cadence *TESS*  $\delta$  Scuti and  $\gamma$  Dor pulsators determined in this work. In this table we list the *TESS* Input Catalogue (TIC) name, an alternative name for each star, the effective temperatures derived using the SED method (Section 4.1), the luminosities derived based on the *Gaia* and when available *Hipparcos* parallaxes and the respective uncertainties (Section 4.3). In column 9 we describe the variability type determined from the *TESS* data. The question mark means that the variability type is uncertain (e.g. due to unresolved peaks). HAGD denotes a High-Amplitude  $\gamma$  Dor star. The last column describes the chemical peculiarity as described in Renson & Manfroid (2009). The full table is available in the online version in the appendix.

TIC	Alternative identifier	T <sub>eff</sub> (K) SED	$\sigma T_{\rm eff}$	$log(L/L_{\odot})$ Gaia	$\sigma \log(L/L_{\odot})$	$\begin{array}{c} log(L/L_{\odot}) \\ HIPP. \end{array}$	$\sigma \log(L/L_{\odot})$	Variability type	Chem. pec.
9632550	BS Aqr	6760	140	1.62	0.03	1.96	0.94	HADS	
12470841	HD 923	8090	230	1.64	0.02	2.01	0.43	one large peak only	
12784216	HD 213125	6390	120	1.14	0.01			δ Sct/hybrid?	
12974182	HD 218003	7670	170	1.103	0.008	1.08	0.04	rot?/binary?	

*B* and *V* magnitudes from either Tycho (Hoeg et al. 1997) or APASS9 (Henden et al. 2015), USNO-B1 *R* magnitudes (Monet et al. 2003), *J*, *H*, and *K* from 2MASS (Skrutskie et al. 2006), supplemented with CMC14  $\dot{r}$  (Evans, Irwin & Helmer 2002) and APASS9 g',  $\dot{r}$ ,  $\dot{i}$  photometry.

Stellar energy distributions can be significantly affected by interstellar reddening, which was calculated as described in Section 4.3 The SEDs were de-reddened using the analytical extinction fit of Howarth (1983). The stellar  $T_{\text{eff}}$  values were determined by fitting solar-composition Kurucz (1993) model fluxes to the de-reddening SEDs. The model fluxes were convolved with photometric filter response functions. A weighted Levenberg–Marquardt non-linear least-squares fitting procedure was used to find the solution that minimized the difference between the observed and model fluxes. Since log g is poorly constrained by our SEDs, we fixed log g = 4.0for all the fits. The uncertainties in  $T_{\text{eff}}$  includes the formal leastsquares error and adopted uncertainties in E(B - V) of  $\pm 0.02$  and [M/H] of  $\pm 0.5$  added in quadrature.

## 4.2 New spectroscopic determinations of $T_{\rm eff}$ based on archival data

Spectroscopic data were taken from the ESO archive.<sup>6</sup> We used medium and high-S/N ratio ( $\geq 65$ ) spectra from FEROS (Fiber-fed Extended Range Optical Spectrograph;  $R \sim 48000$ ), HARPS

(High Accuracy Radial velocity Planet Searcher,  $R \sim 115\,000$ ), and UVES (Ultraviolet and Visual Echelle Spectrograph,  $R \sim 65\,000$ ). Observational details are given in Table 3.

We applied two methods to derive spectroscopic parameters for the 14 stars that had available archival data. For the first method we used, the hydrostatic, plane-parallel line-blanketed, local thermodynamic equilibrium ATLAS9 model atmospheres (Kurucz 1993). The synthetic spectra were generated by using the SYNTHE code (Kurucz & Avrett 1981). The projected rotational velocities,  $v\sin i$ , were calculated by fitting the profiles of non-blended metal lines (Gray 2008). The H $\beta$  lines were used to derive  $T_{\rm eff}$  by considering the minimum difference between the synthetic and observed spectra. In this analysis, a solar metallicity and the obtained  $v\sin i$  values were fixed. In addition, we assumed  $\log g = 4.0$  (dex). This was done because the hydrogen lines are not sensitive to  $\log g$  for stars with  $T_{\rm eff} \leq 8000$  K (Heiter et al. 2002). Our results are listed in Table 4, with 1 $\sigma$  uncertainties.

In addition, the Grid Search in Stellar Parameters (GSSP; Tkachenko 2015) software package was used as an alternative method for determining the atmospheric parameters of our stars. GSSP is a multipurpose spectrum analysis tool that is designed for precision spectrum analysis of single and binary stars. As the name suggests, the method is based on a grid-search in 6D parameter space (metallicity [M/H],  $T_{\rm eff}$ , log g, micro (v<sub>micro</sub>), and macroturbulent (v<sub>macro</sub>) velocities, and vsin *i*) utilizing atmospheric models and synthetic spectra. Each synthetic spectrum in a grid is compared to the normalized observed spectrum of a star with the chi-square ( $\chi^2$ ) merit function being used to judge the goodness of

TIC	Alternative name	Instrument	Observation	S/N	Nr. of spectra
9632550	BS Aqr	FEROS	2007 July	200	4
32197339	HD 210139	HARPS	2005 July	105	11
38587180	TX Ret	HARPS	2011 Dec.	270	1
52258534	BG Hyi	HARPS	2011 July	125	2
139825582	CF Ind	HARPS	2011 July	190	1
183595451	AI Scl	UVES	2001 Dec.	280	1
224285325	SX Phe	FEROS	2007 June	330	6
229154157	HD 11667	HARPS	2006 Nov.	65	2
253917376	UV PsA	HARPS	2011 July	150	1
265566844	BX Ind	HARPS	2011 July	125	1
303584611	BS Scl	HARPS	2011 July	205	2
355687188	HD 224852	FEROS	2007 June	100	8
382551468	CD-53 251	HARPS	2008 Nov.	65	28
394015973	BE Ind	HARPS	2011 July	150	1

Table 3. Spectroscopic data.

**Table 4.** Spectroscopic parameters determined using two different methods as described in detail in Section 4.2. In columns three and four we list the  $T_{\text{eff}}$  determined from the hydrogen lines and GSSP methods, respectively. The parameters agree within their uncertainties. The  $v\sin i$  values were also calculated by two different teams, and agree well within the error bars (here we chose to display the values determined with the GSSP method). The metallicity and  $v_{\text{micro}}$  were determined using the GSSP code. In the last column LPV stands for line profile variations. The asymmetries observed in the H  $\beta$  line in HD 224852 are likely due to the data extraction pipeline.

TIC	Alternative name	T <sub>eff</sub> (K) H lines	T <sub>eff</sub> (K) GSSP	$v\sin i$ (km s <sup>-1</sup> )	[M/H]	v <sub>micro</sub> (km s <sup>-1</sup> )	Comments
9632550	BS Aqr	$7100 \pm 150$	$7240\pm290$	$21 \pm 6$	$-0.2 \pm 0.3$	$3.3 \pm 2.5$	SB2
32197339	HD 210139	$7600 \pm 200$	$7960 \pm 95$	$8 \pm 1$	$-0.05\pm0.08$	$2.9\pm0.6$	pronounced LPVs
38587180	TX Ret	$7200 \pm 150$	$7310 \pm 40$	$70 \pm 3$	$-0.01\pm0.04$	$3.8 \pm 0.5$	-
52258534	BG Hyi	$6900 \pm 120$	$6980 \pm 50$	$25 \pm 1$	$-0.35\pm0.07$	$4.3 \pm 0.5$	
139825582	CF Ind	$7100 \pm 150$	$7090~\pm~40$	$227~\pm~13$	$-0.22\pm0.06$	$3.6 \pm 0.5$	pronounced LPVs
183595451	AI Scl	$7300 \pm 120$	$7315 \pm 40$	$102 \pm 5$	$-0.05\pm0.07$	$4.0 \pm 0.6$	*
224285325	SX Phe	$7500 \pm 150$	$7500\pm115$	$18 \pm 2$	$-0.1 \pm 0.2$	$1.9 \pm 0.4$	
229154157	HD 11667	$7300 \pm 200$	$7185~\pm~75$	$16 \pm 1$	$-0.06\pm0.07$	$3.1 \pm 0.5$	SB2, with LPVs
253917376	UV PsA	$7000~\pm~200$	$7025 \pm 50$	$76 \pm 4$	$-0.16\pm0.06$	$4.0\pm0.5$	
265566844	BX Ind	$6800 \pm 220$	$6790 \pm 60$	$5 \pm 1$	$0.04 \pm 0.06$	$1.3 \pm 0.3$	
303584611	BS Scl	$7900 \pm 150$	$7955~\pm~55$	$32 \pm 1$	$-0.08\pm0.05$	$3.2 \pm 0.4$	
355687188	HD 224852	$7000 \pm 150$	$7335~\pm~90$	$14 \pm 1$	$-0.04\pm0.08$	$3.0 \pm 0.5$	asymmetric H $\beta$
382551468	CD-53 251	$6500 \pm 200$	$6800 \pm 80$	$13 \pm 1$	$-0.08\pm0.07$	$2.0\pm0.4$	pronounced LPVs
394015973	BE Ind	$7500\pm200$	$7500~\pm~50$	$45~\pm~2$	$0.06~\pm~0.06$	$3.3\pm0.5$	*

fit. Parameter errors are computed from  $\chi^2$  statistics by projecting all grid points on to each individual parameter so that correlations are taken into account. GSSP employs the SYNTHV radiative transfer code (Tsymbal 1996) for calculation of synthetic spectra and LLMODELS software package (Shulyak et al. 2004) for computation of atmosphere models. Both codes operate under the assumption of local thermodynamical equilibrium and allow for extra functionality such as vertical stratification of elemental abundances in the atmosphere of a star. The log *g* value is not well constrained in the temperature range in question, which is the reason for fixing it to 4.0 dex (as was also done in the previous method). This is because the hydrogen Balmer lines are largely insensitive to changes in the surface gravity in this particular temperature regime, while significant broadening of metal lines and correlations of log *g* with [M/H] and v<sub>micro</sub> results in typical uncertainties as large as 0.3–0.5 dex.

The photometric and spectroscopic effective temperatures determined here typically agree within the uncertainties. There are few exceptions all of which are either (spectroscopic) binaries or HADS. For the latter the observed  $T_{\rm eff}$  depends on the pulsation cycle (see Section 6.3 for a discussion).

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### 4.3 Luminosities derived from the Gaia parallaxes

We calculated the absolute magnitude and luminosity for each target (see Table 2) using the parallaxes from both the re-reduced *Hipparcos* data (van Leeuwen 2007) and *Gaia* DR2 (Lindegren et al. 2016). This was done to check for biases in our parameters, especially for nearby and bright stars. All but two stars from our sample (HD 4125 and  $\alpha$  Pic) have *Gaia* DR2 parallaxes, but only 65 stars have *Hipparcos* parallaxes including HD 4125 and  $\alpha$  Pic.

To estimate the total interstellar extinction, we used several published reddening maps (Chen et al. 1998; Schlegel, Finkbeiner & Davis 1998; Drimmel, Cabrera-Lavers & López-Corredoira 2003; Green et al. 2015, 2018; Arenou et al. 2018). The distances and their uncertainties were calculated directly from the parallaxes. Almost all stars are within 1 kpc from the Sun, which means that the extinction is small but not negligible (total absorption  $A_V < 0.25$  mag, with a mean and median of 0.05 and 0.04 mag, respectively). We calculated a mean value from the above-listed references, which are all consistent within 0.01 mag. This value of 0.01 mag was adopted as the extinction uncertainty for all targets.

We chose to do so because there are no estimates of the individual errors from the different maps and methods.

To calculate luminosities for our targets, we used the bolometric corrections for the V magnitudes from Flower (1996). The bolometric correction is at a minimum for A stars and does not influence the luminosity calculation significantly. The effective temperatures were taken from Section 4.1. However, there is no homogeneous source of V magnitudes that includes all our targets. We therefore calculated the averages from the magnitudes published by Kharchenko (2001) and Henden et al. (2016), and transformed the *Gaia* DR2 *G* magnitudes according to the calibration by Arenou et al. (2018). Within these three data sets, we found no outliers larger than 0.015 mag. For the error calculation, we took a full error propagation of the individual errors into account.

Lindegren et al. (2018) found that the *Gaia* parallaxes require a zero-point offset of 0.03 mas, although, the offset is dependent on the colour, magnitude, and position on the sky (Lindegren et al. 2018; Zinn et al. 2019). Murphy et al. (2019) have experimented with applying the suggested offset of 0.03 mas, but found that this correction results in unrealistically low luminosities for A and F stars. They deduce that the zero-point offset may be smaller for bluer stars. Since there is no consensus on the exact correction, we follow Murphy et al. (2019) and do not apply any zero-point offset in our analyses. We also note that Arenou et al. (2018) discourage users of applying the offset to individual parallaxes.

The stellar parameters with their respective uncertainties are listed in Table 2. If we compare the absolute magnitudes derived from the *Hipparcos* and *Gaia* DR2 data sets using the identical apparent magnitude, reddening, and Bolometric correction, we find only three targets for which the deviation is larger than  $3\sigma$ , specifically  $\nu$  Pic, BX Ind, and  $\theta$  Gru. This proves that the *Gaia* DR2 data have no significant discrepancies (in a statistical sense) when compared to the *Hipparcos* ones. We also note that these stars are bright which may explain the deviation. In addition,  $\theta$  Gru was identified as a binary (see Table A1), which may apply for the other two as well.

In Fig. 2 we plot our stars in the HR diagram using *Gaia* luminosities and  $T_{\text{eff}}$  determined in this work using the SED method. Due to binarity, large error bars in their *Gaia* measurements, or missing parallaxes the following stars have been omitted:  $\theta$  Ret (V = 6.05), HD 223991 (V = 6.35), HD 216941 (V = 9.49), and HD 210767 (V = 7.78).

# 5 UNDERSTANDING THE EXCITATION MECHANISM OF $\delta$ SCT STARS USING AM STARS

In the absence of mixing, which is usually related to rotation and efficient convection in the outer envelopes, atomic diffusion, which includes radiative levitation and gravitational settling, plays an important role in A stars. As a result, Am stars display underabundances of Sc and Ca and overabundances of Ba, Sr, and Y, among other elements, in their photospheres (Preston 1974).

Traditionally, the excitation mechanism associated with  $\delta$  Sct pulsations is the  $\kappa$ -mechanism acting in the He II ionization layer (Cox 1963). However, observations (Antoci et al. 2011; Murphy et al. 2019) clearly indicate that this mechanism alone is insufficient. This is especially the case for the chemically peculiar Am stars where He is expected to be depleted from the He II ionization layer where the  $\kappa$ -mechanism operates. Even when including atomic diffusion (Turcotte et al. 2000), models in only a very narrow region



Figure 2. Intermediate-mass A and F stars observed by TESS in Sectors 1 and 2 in the HR diagram. Non-variable stars are shown as black downward facing triangles,  $\delta$  Sct stars as blue squares,  $\gamma$  Dor stars as violet circles, hybrids or suspected hybrids in yellow diamonds, and HADS stars as leftfacing red triangles. Stars marked with a black circle are known binary stars. The blue and red edges of the  $\delta$  Sct instability domain (marked by the straight, continuous black lines) are taken from Pamyatnykh (2000) and Dupret et al. (2005), respectively. The blue edges from Pamyatnykh (2000) and Dupret et al. (2005) more or less overlap. The  $\gamma$  Dor instability strip marked by the dashed lines is from Dupret et al. (2005). In addition, we highlight in white the  $\delta$  Sct instability strip found empirically by Murphy et al. (2019) within which >20 per cent of the population pulsates (peaking at 70 per cent). The evolutionary tracks were computed with the Warsaw-New Jersey models (Dziembowski 1977; Pamyatnykh et al. 1998; Pamyatnykh 1999) using no rotation and solar metallicity. The evolutionary tracks, labelled with masses expressed in M<sub>☉</sub>, are only displayed to guide the eye.

in the instability strip were found to have unstable modes, which is clearly contradicted by observations (e.g. Smalley et al. 2017).

Here we investigate to what extent the pulsational stability changes when helium is depleted from the outer layers. More specifically we have used the same approach as described in Balmforth et al. (2001) to model the helium abundance in the outer layers, to mimic atomic diffusion. For our models with a chemically homogenous envelope, the helium abundance by mass is Y = 0.28, whereas for our depleted models the helium abundance was decreased to Y = 0.15 in the outer layers, extending down beneath the He II ionization layer.

In Figs 3 and 4 we show results of our stability computations, in which we include the pulsationally perturbed radiative ( $\kappa$ mechanism) and convective heat fluxes as well as the perturbed momentum flux (turbulent pressure). These computations were obtained from models following the procedures described in detail in Houdek et al. (1999) and Balmforth et al. (2001). These models adopt the time-dependent non-local convection formulation by Gough (1977a,b). In addition to the mixing length parameter,  $\alpha_{MLT}$ , this formulation uses three additional non-local convection parameters, *a*, *b*, and *c*. Here we adopt the values  $a^2 = b^2 = c^2 = 950$ , which allowed Antoci et al. (2014) to reproduce roughly 85 per cent of the observed frequency range of HD 187547 (a pulsating Am star) and Balmforth et al. (2001) to reproduce oscillations in roAp stars.

In Fig. 3 we plot the theoretical instability region of our 'mixed models' (i.e. He non-depleted) and Fig. 4 illustrates the instability domain of our depleted models. The asterisks show the locations of the computed models in the HR diagram and the number of



**Figure 3.** Theoretical instability strip from models including timedependent non-local convection treatment (Section 5). The asterisks indicate the location of our theoretical models and the adjacent number indicates the number of excited radial orders. In straight, continuous black lines we mark the theoretical blue and red edges of the  $\delta$  Sct instability domain from Pamyatnykh (2000) and Dupret et al. (2005), respectively. The blue edges from Pamyatnykh (2000) and Dupret et al. (2005) are more or less overlapping. The black square is the red edge computed by Houdek (2000). For convenience we also indicate the  $\gamma$  Dor instability strip in dashed lines (Dupret et al. 2005). In addition, we also depict the empirical  $\delta$  Sct instability strip boundaries from Murphy et al. (2019) at which the pulsator fraction is 20 per cent (dash–dotted line). The evolutionary tracks were computed with the Warsaw–New Jersey models (Dziembowski 1977; Pamyatnykh et al. 1998; Pamyatnykh 1999) using no rotation and solar metallicity. The evolutionary tracks are only displayed to guide the eye.



**Figure 4.** Theoretical instability strip with depleted helium in the outer layers mimicking helium settling. Models include time-dependent non-local convection treatment (Section 5). The asterisks indicate the location of our theoretical models and the adjacent number indicates the number of excited radial orders. The instability domains and evolutionary tracks are the same as in Fig. 3.

excited radial orders found for that particular model is indicated. The contour levels in this plot delineate the number of consecutive excited radial order modes. The redder the area, the larger number of modes to be excited. Yellow indicates no excitation at all. We note that in both cases, i.e. in the homogenous and the depleted envelope models, there seems to be a maximum in the number of excited radial orders at an effective temperature of 7500 K. Interestingly, the largest number of unstable modes roughly corresponds with the



Figure 5. Accumulated work integrals (solid curves in panels a1 and b1) as a function of the total pressure for two different radial orders, n = 6 and n = 15, for the homogeneous model (black) and the He-depleted model (red in the online and grey in the printed version). The modes are unstable whenever the accumulated work integrals are positive towards the surface of the star, as displayed in (a1) and (b1). In panels (a2) and (b2), we show the contributions of the gas pressure (dashed line) and the turbulent pressure (solid line). The grey region at  $\log P = 6$  indicates the HE II, and at  $\log P = 4$ the H I and HE I ionization zones. From panels (a2) and (b2) it is evident that turbulent pressure in the HI and HEI ionization zones plays a significant role in the excitation of both modes. Specifically in the case of n = 15, it is the only driving agent, while the gas pressure (responsible for the  $\kappa$ -mechanism) is damping pulsations in the HE II ionization zone. The model parameters are in both cases the following:  $M = 2.3 \text{ M}_{\odot}$ ,  $T_{\text{eff}} = 7500 \text{ K}$ ,  $\log L = 1.48 \text{ L}_{\odot}$ and correspond to the model with 13 unstable radial orders in Fig. 3 and 12 in Fig. 4, respectively.

temperature where Murphy et al. (2019) found the largest fraction of pulsating stars, although slightly shifted in luminosity.

In Fig. 5, panels (a1) and (b1), we show the accumulated work integrals for a radial mode with n = 6 and a mode with n = 15, respectively, in our chemically homogeneous and He-depleted models. Regions where the accumulated work integral increases towards the surface of the star contribute to the driving of the mode while regions where it decreases contribute to the damping. Panels (a2) and (b2) further show the individual contributions to the total accumulated work integral of the gas (dashed line) and of the turbulent pressure (solid line). For both the homogenous (Fig. 3) and the He-depleted envelope models (Fig. 4), the turbulent pressure contributes crucially to mode instability.

In this paper, we do not aim to fully reproduce the instability domain of  $\delta$  Sct stars, but to show that diffusion, especially of He,



**Figure 6.** Comparison between the observed *TESS* Am stars and the theoretical instability strip including He depletion in the outer envelope. All stars are identified to be Am stars based on the Renson catalogue (Renson & Manfroid 2009). The blue circles depict the pulsating Am stars; the black triangles identify constant Am stars. Known binaries (see Table 1) are marked by black rings. The square, asterisks, and all lines have the same meaning as in Fig. 3.

plays an important role in driving pulsations in  $\delta$  Sct stars, and that turbulent pressure, acting in the H ionization zone is a significant driving agent. Therefore, excitation by turbulent pressure offers a solution to the long-standing question of the driving mechanism in pulsating Am stars. In Fig. 6, we plot all Am stars from Renson & Manfroid (2009) that were observed by *TESS* in Sectors 1 and 2. We distinguish between constant (black triangles) and pulsating Am (blue) stars, and mark known binaries with black rings. We find good agreement between the observed Am stars and the predicted instability region when turbulent pressure is included. Our findings also agree well with earlier ground-based observations, showing that pulsating Am stars tend to be found in the cooler part of the instability region (Smalley et al. 2017).

To conclude this section, we show that even in the case where He is depleted from the outer layers, excitation of pulsations is still possible and matches the observed distribution of known pulsating Am stars observed by *TESS*. In addition, we see an increase in the number of unstable radial orders and magnitude of the linear growth rates in stars with  $T_{\rm eff} \simeq 7500$  K. Here we demonstrate the potential of how *TESS* observations of many Am stars will improve our understanding of pulsation driving in intermediatemass stars. Before drawing any final conclusions, however, we need to perform in-depth analyses and to vary parameters in our computations, e.g. metallicity, the mixing length, and the non-local convection parameters *a*, *b*, and *c*. In addition, we will also explore the excitation at different helium depletion values. This will be done in a future paper.

### **6 EXAMPLES OF VARIABILITY**

As *TESS* is observing almost the entire sky, we have the unprecedented opportunity to obtain continuous, high-precision light curves of a variety of pulsating stars as described in Section 1. The 2-min *TESS* sample in Sectors 1 and 2 presented in this work includes some prototypes, i.e. SX Phe and  $\gamma$  Dor. In this section, we demonstrate the power of *TESS* data for a variety of different pulsator classes amongst A and F stars and the potential of future asteroseismic modelling. The stars shown here were chosen either because they



**Figure 7.** *TESS* light curve (top) and amplitude transform (bottom) of the  $\lambda$  Boo star HD 210111.

are eponymous for their classes (SX Phe and  $\gamma$  Dor), very bright ( $\alpha$  Pic), or to cover the entire variety of the stars studied here:  $\delta$  Sct,  $\gamma$  Dor,  $\lambda$  Boo, HADS, pre-main-sequence, eclipsing binary stars.

### 6.1 TIC 229059574 = HD 210111

TIC 229059574 (HD 210111), is a  $\lambda$  Boo star in a double-lined spectroscopic binary (SB2) system (Paunzen et al. 2012). SB2 line profiles were seen in all 24 high-resolution spectra taken by Paunzen et al. (2012) with UVES, from which the authors concluded that this is a pair of equal-mass stars with both stars having  $T_{\rm eff} \approx$  7400 K, log g = 3.8, [Fe/H] = -1.0 dex, and  $v \sin i = 30$  km s<sup>-1</sup>. By computing composite spectra with various atmospheric parameters, they also concluded that neither component has a solar metallicity, from which we infer that they are both  $\lambda$  Boo stars.

Paunzen et al. (1994) first discovered the  $\delta$  Sct variability of HD 210111 and Breger et al. (2006) carried out the most extensive analysis of its variability with a multisite ground-based campaign over a 30-d period. The *TESS* light curve is of similar duration, but almost uninterrupted and of space telescope quality.

The *TESS* light curve from sector 1 shows HD 210111 to be highly multiperiodic with frequencies in the range  $10-40 d^{-1}$  and amplitudes of order 100–1000 ppm (Fig. 7). The highest peak lies at  $30.2 d^{-1}$ , consistent with the non-radial pulsation with a 49-min period identified by Bohlender, Gonzalez & Matthews (1999). Many of the 18 oscillation frequencies reported by Breger et al. (2006) are present in the *TESS* data, but the amplitudes are significantly different. This may be due to the different passbands, although amplitude variability is not uncommon in  $\delta$  Sct stars (Lenz et al. 2008; Barceló Forteza et al. 2015; Bowman et al. 2016). In the *TESS* passband, HD 210111 has 59 peaks with amplitudes exceeding 200 ppm, where our analysis is terminated because of the high density of peaks.

Visual inspection of the amplitude spectrum of the light curve (Fig. 7) suggests there may be a common frequency spacing between  $\sim 2$  and 2.5 d<sup>-1</sup>. When using all 59 peaks above 200 ppm, a histogram of frequency differences (Fig. 8) showed no outstanding features compared to a randomly generated set of frequencies covering the same frequency range. However, a subset of the strongest peaks (with amplitudes above 500 ppm) showed an excess of peaks spaced by  $\sim 2.2 \text{ d}^{-1}$ . Common spacings can sometimes be attributed to rotational splittings, or to the large frequency separation  $\Delta \nu$ , which is the frequency spacing between consecutive radial



**Figure 8.** A histogram of the frequency differences from the peaks extracted from HD 210111 that have amplitudes exceeding 500 ppm. The peak at  $2.2 \text{ d}^{-1}$  is marked with a red arrow. Integer multiples of this peak (4.4, 6.6, ...  $\text{d}^{-1}$ ) are also expected.

orders.<sup>7</sup> The  $v \sin i$  of these stars is low, at about 30 km s<sup>-1</sup>, so it is unlikely that the rotational splitting of one or both stars is being observed, unless the inclination *i* happens to be low. We therefore find it more plausible that the identified spacing corresponds to the large frequency separation or half this value. A more accurate assessment using a *Gaia* luminosity is prevented by the SB2 nature of the target. It is also not clear whether solar metallicity tracks should be used. The reported [Fe/H] is -1 dex, but in  $\lambda$  Boo stars the low metallicity might be a surface phenomenon only. Asteroseismology is one of the tools that can be used to probe the global stellar metallicity, but HD 210111 is perhaps too complex a target to be a good starting point because of it being a binary of two similar stars. At this stage it is unclear whether only one or both components are pulsating. A more detailed analysis is beyond the scope of this paper.

#### 6.2 TIC $167602316 = \alpha$ Pictoris

α Pictoris is the brightest star in the sample presented here (V = 3.3) and was not known to be a pulsating star prior to *TESS* observations. This makes it one of the brightest known δ Sct stars. This star has  $T_{\rm eff} = 7550 \pm 35$  K (Zorec & Royer 2012), a *Hipparcos* luminosity of log (L/L<sub>☉</sub>) = 1.47 ± 0.14 and is rapidly rotating with  $v\sin i = 206$  km s<sup>-1</sup> (Zorec & Royer 2012).

 $\alpha$  Pic has a rich pulsation spectrum (Fig. 9), with 39 significant peaks after 2 sectors of observations. From the lower panel of Fig. 9 it can be clearly seen that many additional peaks are observed in the low-frequency region that are consistent either with g and/or Rossby modes. In the high-frequency range we detect a spacing that is consistent with the large frequency separation of about 2.7 d<sup>-1</sup> and fits well with the stellar parameters given in Table 2.

Based on the known stellar parameters, the highest peak at  $f_1 = 5.74 \,\mathrm{d}^{-1}$  could be the fundamental radial mode. The frequency  $f_3$  is close to  $2f_1$ , which may imply that this frequency is the second harmonic, however it is not an exact match (the difference is  $0.017 \,\mathrm{d}^{-1}$ ), which is similar to the resolution. This issue will be resolved with 1 yr of data, as this star is in the continuous



**Figure 9.** Amplitude spectra of the original data of  $\alpha$  Pic (top) and after prewhitening the dominant mode (bottom). This star is in the *TESS* continuous viewing zone on the Southern hemisphere which makes it a promising target for further study.

*TESS* viewing zone. No other obvious combination frequencies were detected.

### 6.3 TIC 224285325 = SX Phe

SX Phe is a remarkable HADS star, whose strongest peak exceeds 100 ppt. The light curve is highly asymmetric, with minima of a consistent depth, but maxima spanning a wide range in brightness (Fig. 10). Such light curves are common among high-amplitude SX Phe stars dominated by one or two mode frequencies and their combinations (e.g. the *Kepler* SX Phe star KIC 11754974; Murphy et al. 2013). The shapes of the light curves arise from specific phase relationships between parent pulsation modes and their combination frequencies (Kurtz et al. 2015).

The amplitude spectrum of the light curve of SX Phe itself is indeed dominated by two parent radial modes and their many combination frequencies (Fig. 10). These combinations and their harmonics continue to high frequencies: even at  $7f_1$  (127 d<sup>-1</sup>), the pulsation amplitude is over 1 ppt. We extracted frequencies down to an amplitude of 1 ppt. Five other apparently independent peaks exist with amplitudes above 1 ppt. Although it is possible to assign combinations to some of them, the combinations are not simple (i.e. they do not have low coefficients), so we conclude that some of these peaks could be independent mode frequencies and speculate that resonance may play an important role. A frequency list is provided in Table 5.

The strongest mode corresponds to the frequency  $f_1 = 18.193565(6) d^{-1}$ , which is high for the fundamental radial mode but rather typical for SX Phe-type stars (e.g. McNamara 2011; Ziaali et al. 2019). The frequency ratio of  $f_1/f_2 = 0.778192(6)$ , is consistent with the identification of  $f_1$  as the fundamental radial mode and  $f_2$  as the first radial overtone. Normal  $\delta$  Sct stars have values around 0.772, but SX Phe itself has a rather high value of 0.778192(6), owing mostly to its low metallicity. Petersen & Christensen-Dalsgaard (1996) showed that higher values of this frequency ratio correlate well with lower metallicity, and SX Phe itself has a low metallicity, with  $Z \approx 0.001$ . In addition, Pigulski (2014) shows that other SX Phe stars can also have such a high ratio.

Using the Warsaw-New Jersey evolutionary code (e.g. Pamyatnykh et al. 1998; Pamyatnykh 1999) and the non-adiabatic

<sup>&</sup>lt;sup>7</sup>The exact spacing depends on the radial orders and can only be directly related to the Sun or Sun-like stars in case high radial order modes are observed.



**Figure 10.** A 1-d extract of the *TESS* light curve of SX Phe (top). Amplitude spectrum of the entire *TESS* light curve of SX Phe (bottom). The two strong independent mode frequencies are labelled along with combination frequencies belonging to three distinct families and two other combinations at lower frequencies.

pulsational code of Dziembowski (1977), we computed models for SX Phe with the aim of fitting  $f_1$  and  $f_2$  as the radial fundamental and first overtone modes, respectively, using the so-called Petersen diagram (e.g. Petersen & Christensen-Dalsgaard 1996). We searched a wide range of effective temperatures ranging from 7200 to 8700 K. The OPAL opacity tables and the solar element mixture of Asplund et al. (2009) were adopted. We considered different metallicity values, Z, and initial hydrogen abundance,  $X_0$ , in the ranges (0.001, 0.002) and (0.66, 0.74), respectively. The value of the mixing length parameter,  $\alpha_{MLT} = 1.5$  and overshooting from the convective core was not included. We note that, at the metallicities and effective temperatures specified above, the choice of the  $\alpha_{MLT}$  does not have a high impact on the exact values of the mode frequencies. Our pulsations models, confirm that the observed frequencies  $f_1$  and  $f_2$  can only correspond to the radial fundamental and first overtone modes, respectively. Thus, for further seismic modelling we will only consider these radial orders.

As a start, we used the model parameters  $M = 1.0 \text{ M}_{\odot}$ , Z = 0.001,  $X_0 = 0.70$  and an age of roughly 3.9 Gyr<sup>8</sup> as given by Petersen & Christensen-Dalsgaard (1996). Our best seismic model for these input values has an effective temperature of  $T_{\text{eff}} = 7660 \text{ K}$ , a luminosity log L/L<sub> $\odot$ </sub> = 0.811, and a frequency ratio of the radial fundamental mode to the first overtone of  $f_1/f_2 = 0.780014$ .

 Table 5.
 The list of extracted significant frequencies of SX Phe from TESS Sector 1 and 2 data.

fn	Frequency (d <sup>-1</sup> )	Amplitude (ppt) ±0.040	Combinations	
$f_1$	18.193565(6)	136.284		
$f_2$	23.37928(2)	33.079		
.f3	36.38712(2)	48.757	$2f_1$	
$f_4$	41.57284(4)	20.286	$f_1 + f_2$	
$f_5$	5.185718(4)	20.133	$f_2 - f_1$	
$f_6$	54.58069(5)	16.653	$3f_1$	
$f_7$	13.00784(8)	10.237	$2f_1 - f_2$	
$f_8$	59.766413	9.801	$2f_1 + f_2$	
$f_9$	72.7742(1)	6.939	$4f_1$	
$f_{10}$	77.9599(2)	5.047	$3f_1 + f_2$	
$f_{11}$	31.2014(2)	4.948	$3f_1 - f_2$	
$f_{12}$	46.7585(2)	3.572	$2f_2$	
$f_{13}$	90.9678(2)	3.527	$5f_1$	
$f_{14}$	96.1535(3)	2.893	$4f_1 + f_2$	
$f_{15}$	22.6303(3)	2.774		
$f_{16}$	28.5650(3)	2.692	$2f_2 - f_1$	
$f_{17}$	64.9521(3)	2.632	$f_1 + 2f_2$	
$f_{18}$	27.5864(4)	2.074		
$f_{19}$	114.3471(4)	1.931	$5f_1 + f_2$	
$f_{20}$	109.1613(4)	1.831	$6f_1$	
$f_{21}$	49.3950042	1.798		
$f_{22}$	83.1456(5)	1.738	$2f_1 + 2f_2$	
$f_{23}$	132.5406(5)	1.495	$6f_1 + f_2$	
$f_{24}$	40.823(3)	1.198	$f_1 + f_2 0$	
$f_{25}$	127.355(1)	1.118	$7f_1$	
$f_{26}$	17.2645(7)	1.105		
$f_{27}$	45.7806(7)	1.072		

The observed counterparts are  $\log L/L_{\odot} = 0.842 \pm 0.09$  and a frequency ratio of 0.778192(6). The theoretical values for the radial fundamental and the first radial overtone are 18.193565 and  $f_2 = 23.324654 \,\mathrm{d}^{-1}$ , respectively. Both radial modes are unstable (excited). However, as one can see, the difference between the theoretical and observed value of  $f_1/f_2$  is 0.001822 and is above the numerical accuracy which is around the fifth decimal place, making it clearly significant. In the next step, we varied the metallicity and found a model with Z = 0.0014 and a mass  $M = 1.15 \,\mathrm{M}_{\odot}$ , which fits better the observed frequency ratio. The model has the following parameters:  $T_{\rm eff} = 8270$ , log L/L<sub> $\odot$ </sub> = 0.984, an age of  $\sim$ 2.5 Gyr and a frequency ratio of  $f_1/f_2 = 0.77841$ . The individual radial modes frequencies are  $f_1 = 18.19357 d^{-1}$  and  $f_2 = 23.37268 d^{-1}$ . This model gives a better fit but still there is a room for improvement, especially because the radial fundamental and the first overtone in this model are both stable.

As a next step, we changed the initial abundance of hydrogen. The model reproducing the observed frequency ratio up to the fifth decimal place has the following parameters:  $M = 1.05 \,\mathrm{M}_{\odot}$ ,  $X_0 = 0.67$ , Z = 0.002,  $T_{\rm eff} = 7760 \,\mathrm{K}$ ,  $\log L/L_{\odot} = 0.844$ , an age of 2.8 Gyr and it was interpolated to the dominant observed frequency  $f_1 = 18.193565 \,\mathrm{d}^{-1}$ . The value of the second frequency is 23.37976 d<sup>-1</sup>, and differs by only 0.00048 d<sup>-1</sup> from the observed value. Thus, the theoretical value of the frequency ratio is 0.77818, whereas the observed value is 0.77819. Taking into account the numerical accuracy, which is not better than five decimal places as specified above, we can conclude that this model reproduces the observed frequencies of the two radial modes of SX Phet well. In addition, this model also predicts instability (excitation)

<sup>&</sup>lt;sup>8</sup>Given that SX Phe is consistent with the scenario of a blue straggler, the age in this context represents the time since its formation through mass transfer or a merger of two stars.



Figure 11. Petersen diagram illustrating the frequency ratio of the first radial overtone to the radial fundamental as a function of the radial fundamental mode for SX Phe. The model reproducing the observations best is depicted in blue. We refer the reader to the text for further details.

of both radial modes, the radial fundamental and first overtone. In Fig. 11, we show the evolution of the frequency ratio of the first radial overtone to the radial fundamental as a function of the radial fundamental mode (the Petersen diagram) for the three seismic models described above. The observed value is marked as an open square.

The lower hydrogen abundance (higher helium abundance) is not unlikely because, as other SX Phoenicis variables, SX Phe itself can be a blue straggler. Such objects are presumably formed by the merger of two stars or by interactions in a binary system (e.g. McNamara 2011; Nemec et al. 2017). As a consequence, these stars may have enhanced helium abundance. This is also consistent with the models fitting KIC 11145123, which is also a suspected blue straggler (Kurtz et al. 2014). In addition, the model luminosity also agrees with the Gaia luminosity and the model effective temperature is within  $2\sigma$  of the spectroscopically derived value ( $T_{\rm eff} = 7500 \pm 150 \,\mathrm{K}$ ) and  $3.7\sigma$  within the photometrical  $(T_{\rm eff} = 7210 \pm 150 \,\mathrm{K})$ . Measured differences in effective temperature are to be expected, because as noted by Kim, McNamara & Christensen (1993), the effective temperature of a star displaying large amplitudes of pulsations depends on the pulsation phase at which the observations were made. In the case of SX Phe the spectroscopic  $T_{\rm eff}$  was determined based on one spectrum taken at a single unknown pulsation phase.

### 6.4 TIC 49677785 = HD 220687

HD 220687 (TIC 49677785) is a known eclipsing binary system hosting a pulsating primary (Pigulski & Michalska 2007). Recently, HD 220687 was observed for approximately 80 d by the K2 mission (Howell et al. 2014). From these K2 data and estimates of the primary's surface gravity and effective temperature from RAVE spectroscopy, Lee, Hong & Kristiansen (2019) obtained a binary model with the Wilson Devinney Code, albeit without an estimate for the mass ratio from radial velocities. After subtracting their binary light-curve solution, Lee et al. (2019) found 35 significant frequencies with an S/N  $\geq$  4 using a noise window of the size 5 d<sup>-1</sup> centred around each peak; all of these frequencies were inferred to be  $\delta$  Sct pulsations.



**Figure 12.** HD 220687. Upper panel: light curve. Lower panel: amplitude spectrum. The equally spaced peaks at low frequencies are due to the eclipses clearly visible in the light curve displayed in the upper panel.

Since the K2 observations, HD 220687 was observed by the TESS mission in Sector 2 for 27.4 d (Fig. 12). Given the lack of an accurately constrained mass ratio and the presence of remaining harmonics after the binary model subtraction, we chose to not adopt the binary solution by Lee et al. (2019). Instead, we directly subtracted the orbital frequency ( $f_{\rm orb} = 0.62725 \, {\rm d}^{-1}$ ) and all its significant harmonics up to 80 d<sup>-1</sup> and then examined the remaining variance. From iterative pre-whitening pipeline we obtained 25 significant frequencies, 11 of which can be explained as harmonics or combination frequencies. We note that seven of the frequencies reported by Lee et al. (2019) are either harmonics of the orbital frequency, or can be explained as second-order combination frequencies with the orbital frequency. Finally, 12 of the 25 frequencies in the TESS light curve of HD 220687 are above the Kepler/K2 long-cadence Nyquist frequency of 24.49 d<sup>-1</sup> which emphasizes the usefulness of short-cadence observations for studying  $\delta$  Sct stars.

The *TESS* and K2 light curves of HD 220687 also offer the only opportunity we are aware of to determine an empirical estimate for the amplitude suppression factor of pulsation modes observed in the *Kepler/*K2 and *TESS* passbands. Since the *TESS* passband (6000–10 000 Å) is redder than that of *Kepler/*K2 (4300–8300 Å), the photometric pulsation mode amplitudes in early-type stars appear smaller in *TESS* photometry compared to bluer passbands since the wavelength range mainly probes the Rayleigh–Jeans tail, as opposed to the peak of the blackbody function. The ratio of pulsation mode amplitudes in the *TESS* and *Kepler/*K2 passbands for A and F stars was estimated to be of the order 50 per cent by Bowman et al. (2019), yet this value included many assumptions.

Here, we provide an empirical measurement of the ratio of pulsation mode amplitudes for the *TESS* and *Kepler*/K2 passbands using HD 220687 (TIC 49677785; EPIC 245932119). We downloaded the K2 target pixel files of HD 220687, created custom aperture masks and detrended light curve spanning approximately 80 d using the methodology described by Bowman et al. (2018). The calculation of an amplitude spectrum using a Discrete Fourier Transform (Deeming 1975; Kurtz 1985) allowed the determination of the amplitudes of pulsation modes and harmonics associated with the eclipses present in the light curve. We performed independent frequency extraction using the K2 and *TESS* light curves via iterative pre-whitening and corrected the observed amplitudes of each extracted peak for the amplitude suppression caused by the

$$A = A_0 \operatorname{sinc}\left(\frac{\pi}{N}\right) = A_0 \operatorname{sinc}\left(\frac{\pi \nu}{\nu_{\operatorname{samp}}}\right) , \qquad (2)$$

where A and  $A_0$  are the observed and corrected pulsation mode amplitudes, respectively, N is the number of data points per pulsation cycle,  $\nu$  is the pulsation mode frequency, and  $\nu_{samp}$ is the instrumental sampling frequency (Murphy 2014; Bowman, Holdsworth & Kurtz 2015).

Under the assumptions of negligible amplitude modulation of its pulsation modes (see e.g. Bowman et al. 2016) and negligible contamination in HD 220687, which is reasonable given that HD 220687 is V = 9.6 and no other nearby sources are apparent, the ratio of the corrected pulsation mode amplitudes gave an empirical estimate of the TESS/Kepler amplitude suppression factor. For the dominant, independent pulsation mode amplitudes in HD 220687, we measured an average ratio of their amplitudes in the TESS to Kepler/K2 passbands to be 74  $\pm$  1 per cent. Thus, the reduction in pulsation mode amplitudes when observing A and F stars with TESS is non-negligible compared to bluer wavelength instruments such as Kepler/K2, but importantly this passband suppression does not prevent the detection of pulsation modes. On the other hand, the vast number of A and F stars observed in the 2-min TESS cadence is a major advantage for the study of high-frequency pulsations in  $\delta$  Sct stars, given that the bias introduced by the 30-min *Kepler* cadence into the observed frequency distribution of these stars is much more significant (Murphy 2015; Bowman & Kurtz 2018). We note that the suppression factor is not a constant but depends on the spectral type of the target star and to a lesser extent on the geometry of the pulsation modes (limb darkening).

It is worth noting that  $\delta \operatorname{Sct}/\gamma$  Dor pulsators found in close binaries, are not only in detached systems but also in those that are undergoing or have experienced mass transfer (Guo et al. 2016, 2017). Among the 303 pulsating eclispsing binary (EB) identified by Gaulme & Guzik (in preparation) in about 3000 Kepler EB stars, most are  $\delta$  Sct and  $\gamma$  Dor pulsators (264 out of 303, 87 per cent). We expect that the *TESS* 2-min cadence data can yield about 300 eclipsing binaries per sector, and more than 1/10 are expected to contain pulsating stars.

### 6.5 TIC 150394126 = HD 46190

HD 46190 was observed in Sectors 1 and 2 in the *TESS* mission (Fig. 13); its light curve has a total time base of 56 d. Prior to *TESS* observations, this star was thought to be a young star with a spectral type of A0, but its pulsational variability was unknown. We include HD 46190 in this paper, as it is a potential pre-main-sequence  $\delta$  Sct star.

In total 65 frequencies between 15 and 76 d<sup>-1</sup> were found to be statistically significant by both the KU Leuven and Aarhus ECHO pipelines. Many of these peaks can be explained by combination frequencies, depending on the number of parent modes assumed. However, some of these identified linear combinations are quite complex, and hence could also be accidental matches.

There are no estimates of fundamental parameters or binarity from spectroscopy in the literature, and only an approximate effective temperature of 8450  $\pm$  600 K in the catalogue of Oelkers et al. (2018) and *Gaia* DR2. Our determined effective temperature based on the SED method is 8850  $\pm$  100 K (Table 2). Sloan et al. (2004) report a debris disc and an infrared excess around HD 49160 using *Spitzer* spectroscopy, and identify this star as a Vega-like main-sequence star.



Figure 13. *TESS* light curve (top) and amplitude spectrum (bottom) of the young star HD 46190.

The highest amplitude p-mode frequency in HD 46190 is at  $49.09 d^{-1}$ , which supports the interpretation that this star is a hot and young star near the ZAMS and the blue edge of the classical instability strip (Zwintz et al. 2014). Yet without fundamental parameters from spectroscopy, we cannot infer if HD 46190 is a pre-main-sequence or main-sequence star. Once these data become available, and should a pre-main-sequence status be established, we can determine its properties based on the range of modes excited in the star. For pre-main-sequence stars, Zwintz et al. (2014) showed that there is a significant relationship between the pulsational properties and its evolution. Such a relation could not be established for  $\delta$  Sct stars on the main sequence or the post-main sequence.

### 6.6 TIC 355687188 = HD 224852

The variability of the HADS star TIC 355687188 (HD 224852, BV 1007, NSV 14800, A8 V, V = 10.2) was discovered by Strohmeier (1967), but the nature of this variability was only revealed from the ASAS-3 observations by Pojmanski (2002), who reported a period of 0.122072 d and classified the star as  $\delta$  Sct. Poretti et al. (2005) carried out a detailed analysis of the ASAS-3 data and found the star to be a double-mode pulsator with the frequency ratio of 0.77339 matching the ratio of the fundamental and first overtone radial modes for HADS stars. In addition, the amplitude of the first overtone mode is higher than that of the fundamental mode. The full model describing the variability of the star in the ASAS data included 10 terms: the two radial mode frequencies, three harmonics of these frequencies, and five combination frequencies.

HD 224852 was observed in Sectors 1 and 2 of the *TESS* mission with 2-min cadence; these data span 56.2 d with small (~1-d) gaps in the middle and between each observing sector. A 4-d section of the *TESS* light curve is shown in Fig. 14, in which the strong beating of the two radial modes can be seen. Frequency analysis of the *TESS* data indicates that the observed variability in HD 224852 can be accounted for by only four independent modes, their harmonics and combination terms. In total, the model including all significant frequencies contains 96 sinusoidal terms yet only four independent pulsation modes (Table 6), 12 harmonics (of  $f_1$  and  $f_2$  only), and 80 combination frequencies.

Both radial modes have non-sinusoidal light curves, which is in accordance with the findings of Poretti et al. (2005). The first overtone mode has a larger amplitude than the fundamental mode, which is more commonly found for HADS stars in the LMC



**Figure 14.** Upper panel: A 4-d section of the *TESS* light curve of HD 224852. The highly non-sinusoidal light curve and the beating between the two dominant modes are clearly visible. Lower panel: amplitude spectrum. The large majority of these peaks are combination frequencies and harmonics of the four independent modes. Although there are statistically significant peaks up to frequencies of 75 d<sup>-1</sup>, for illustrative reasons we only plot up to 75 d<sup>-1</sup>.

 Table 6. Characterization of the amplitude spectrum of HD 224852.

Mode	Frequency (d <sup>-1</sup> )	Harmonics detected	Combinations detected	S/N
$f_1$	8.1919470(07)	7	78	8855.39
$f_2$	6.3355745(10)	5	79	6414.12
$f_3$	7.9646(05)	0	5	14.47
<i>f</i> <sub>4</sub>	13.1380(18)	0	0	4.28

(Poleski et al. 2010) as opposed to the Milky Way. We infer that the independent frequencies  $f_3$  and  $f_4$  are non-radial modes. However, we cannot exclude that  $f_4$  may be a higher overtone radial mode. This can only be verified by detailed seismic modelling. We also note that no low-frequency modes were detected in HD 224852 above the detection threshold of 0.023 ppt corresponding to S/N  $\approx$  2.8. The two radial modes show slight amplitude modulation during the *TESS* observations. In particular, the amplitude of  $f_1$  drops by about 0.7 per cent and  $f_2$  by about 0.4 per cent during this time. This effect has also been observed for other high-amplitude radial pulsators, such the HADS star KIC 5950759 (Bowman 2017).

### 6.7 TIC 219234987 = $\gamma$ Dor

 $\gamma$  Dor is a bright (V = 4.20) F1V (Gray et al. 2006) and is eponymous for an entire class of gravity/Rossby modes pulsators, the  $\gamma$  Dor stars. Although this paper concentrates only on Sectors 1 and 2, we decided to make an exception and to also include this prototype in this first-light article.

*TESS* observed  $\gamma$  Dor in sectors 3, 4, and 5. The light curve was extracted by performing aperture photometry on target pixel files downloaded from MAST using the LIGHTCURVE python package (Barentsen et al. 2019). Bright as it is,  $\gamma$  Dor saturates *TESS* CCDs. We settled on a classic approach for the preliminary analysis presented here. The photometric data extraction will be refined in the future using the halo photometry technique (White et al. 2017). The frequency analysis was subsequently done following an iterative pre-whitening procedure with the PERIOD04 software. The light-



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**Figure 15.** Amplitude spectra of  $\gamma$  Doradus from *TESS* observations before (*top*) and after pre-whitening the first two frequencies (*bottom*). Red vertical bars mark the 17 frequencies with S/N > 4 extracted from *TESS* data. Orange triangles indicate frequencies found in Brunsden et al. (2018).

curve and amplitude spectrum are plotted in Fig. 15 along with the 17 extracted frequencies with  $S/N \ge 4$ .

 $\gamma$  Dor has been extensively studied in the literature. Groundbased photometric (Cousins 1992; Balona et al. 1994a; Balona, Krisciunas & Cousins 1994b; Tarrant et al. 2008) and spectroscopic observations (Balona et al. 1996; Brunsden et al. 2018) dedicated to this star allowed the identification of a handful of frequencies. Brunsden et al. (2018) recently performed a comprehensive study of all available ground-based data. They found four consistent frequencies  $(1.3209, 1.3641, 1.4742, 1.8783 d^{-1})$  that can all be confirmed with TESS data. The frequency at 0.31672 d<sup>-1</sup>, previously identified as a daily alias, is also present here, suggesting that it is indeed intrinsic to the star. We also corroborate the 2.7428 d<sup>-1</sup> combination frequency. The amplitude spectrum shows amplitude excess at multiples of the main frequency group around  $\sim 1.3 \, d^{-1}$ , which is most likely due to harmonic and combination frequencies (e.g. Kurtz et al. 2015; Saio et al. 2018b), however, we cannot explore this further given the limited frequency resolution. Nevertheless, based on the observations and theory by Li et al. (2019b) and Saio et al. (2018b), we can speculate that the power excess around 1.4 and  $2.8 d^{-1}$  could correspond to prograde l = 1 and l = 2 gmodes, respectively. Further observations are needed to resolve the modes and confirm this hypothesis. No significant p modes were detected, ruling out a hybrid nature. TESS observations in synergy with available spectroscopic (e.g. Gray et al. 2006; Ammler-von Eiff & Reiners 2012) and astrometric (Gaia Collaboration 2018) measurements will be presented in a forthcoming paper.

### 6.8 TIC 154842794 = $\pi$ PsA

TIC 154842794 ( $\pi$  PsA, HD 217792) is an F1V type star (Gray et al. 2006) and a newly classified  $\gamma$  Dor pulsator. (David & Hillenbrand 2015) find the following stellar parameters:  $T_{\rm eff} = 7400 \pm 250$  K, log g = 4.3, and M = 1.5 M<sub> $\odot$ </sub>, with the effective temperature agreeing well with our determination of  $T_{\rm eff} = 7440 \pm 110$  K. Additional values that may be relevant for the reader are  $v_{\rm turb} = 2 \,\rm km \, s^{-1}$  from Gray et al. (2006) and [Fe/H] =  $-0.25 \pm 0.06$ 



Figure 16. Flare observed in the *TESS* data of  $\pi$  PsA.

from Gáspár, Rieke & Ballering (2016) and a radius of  $R = 0.87 \, R_{\odot}$  from Pasinetti Fracassini et al. (2001). We note that the radius of this star may be underestimated, as it is unrealistically low for an early F type star on or near the main sequence.

Strohmeier, Knigge & Ott (1965) classified the star as a Cepheid with a period of 7.975 d and amplitude of 0.3 mag. It is thus likely the complex beating of the low-amplitude pulsations resulted in the misclassification.  $\pi$ PsA is a known spectroscopic binary (Buscombe & Morris 1961) with a low-mass companion and an orbital period of 178 d (Pourbaix et al. 2004; Allen et al. 2012) and eccentricity 0.53 (Abt 2005). The velocity amplitude of the primary is 21.3 km s<sup>-1</sup> (Pourbaix et al. 2004). It has also been flagged as a possible astrometric binary (Jancart et al. 2005). None of the frequencies are multiples of the orbital frequency. The star has an infrared excess (Trilling et al. 2007; Chen et al. 2014), indicating the presence of a debris disc around the star and has been identified as a variable with a frequency of  $0.94305 d^{-1}$  (Koen & Eyer 2002). This frequency was confirmed using the original Hipparcos data. The sole *Hipparcos* frequency, calculated from 104 data points, is inconsistent with any of the frequencies found in the TESS data.

The *TESS* light curve indicates the presence of a flare at BJD = 2458370.162 (Fig. 16), which might originate either from a background star or a possible companion. Detailed analyses as described in Pedersen et al. (2017) are required to identify the flare origin, but are out of the scope of this paper.

Based on *TESS* observations we find six statistically significant frequencies, which are 0.6721(2), 1.0242(2), 1.2688(3), 1.3814(3), 1.6385(5), and 1.8376(3) d<sup>-1</sup>, with additional peaks that are unfortunately unresolved, as this star was only observed for 27 d (Fig. 17). Based on the extracted peaks no clear period spacing can be detected. This shows that  $\gamma$  Dor stars require longer observations.

### 7 CONCLUSIONS

We highlighted the different aspects of the pulsational variability of intermediate-mass A and F stars observed by the *TESS* mission in its first two sectors. The 2-min cadence of the *TESS* mission data is particularly useful for studying high-frequency pulsations in  $\delta$  Sct stars; many modes are found which are often higher than the Nyquist frequency of 24.5 d<sup>-1</sup> provided by 29.4-min cadence data of the *Kepler* mission (e.g. Michel et al. 2017; Bowman & Kurtz 2018). The homogenous, all-sky sample of  $\delta$  Sct stars observed by *TESS* is a significant advantage over previous ensembles of stars observed by, for example, the *Kepler* mission, and offers opportunities to test the physics of pulsation driving for a range in stellar mass, metallicity,



**Figure 17.**  $\pi$  PsA. Upper panel: here we show the light curve that clearly resembles the variability of a typical  $\gamma$  Dor star. Lower panel: Fourier spectrum of the *TESS* light curve. Here we find six statistically significant frequencies. See text for details.

and rotation. In addition we used *Gaia* DR2 data and SED  $T_{\rm eff}$  values to calculate stellar luminosities and place our sample in the HR diagram (Fig. 2).

In this study, we have also demonstrated that using models with time-dependent non-local convection treatment and mimicking He depletion in the outer envelopes as expected for Am stars, we can explain the driving of pulsations in these stars. The distribution of 31 known Am stars observed by TESS in the HR diagram is consistent with our theoretical predictions, which show that turbulent pressure plays a very important role. Driving pulsations in Am stars has been a long-lasting mystery as the  $\kappa$  mechanism alone could not explain the observations in the presence of He depletion through gravitational settling. Furthermore, the parameter space for which pulsation driving by turbulent pressure is predicted to be at its strongest is shown to be in the centre of the classical instability strip, corresponding to  $T_{\rm eff} \simeq 7500 \, {\rm K}$ . This is compatible with the parameter space for which the pulsator fraction also reaches its maximum of  $\sim$ 70 per cent within the classical instability strip (Murphy et al. 2019).

We highlighted the unprecedented asteroseismic potential that the TESS mission data provide for A and F stars, especially for pulsators that have previously not been observed with high-precision space telescopes such as the brightest known  $\delta$  Sct and  $\gamma$  Dor stars (e.g.  $\alpha$  Pic,  $\beta$  Pic,  $\gamma$  Dor, etc.). In addition, the near full-sky TESS observations will allow us to perform unbiased variability studies of A and F stars in general, but also in particular of, e.g. premain-sequence and chemically peculiar stars, such as Am and Ap stars. We provided case studies of different variability types, including pulsators in eclipsing binaries, high-amplitude pulsators, chemically peculiar stars, and potential pre-main-sequence stars. We also show that the rather short observing periods of each sector (27 d) impose in some cases severe constraints on our ability to perform asteroseismic studies of, e.g.  $\gamma$  Dor,  $\delta$  Sct, or hybrid stars due to their unresolved pulsation spectra. A limited frequency resolution will prevent us from detecting consecutive radial orders of gravity and Rossby modes as well as rotational splitting in pressure modes. Future studies using longer TESS light curves (obtained during the nominal and a possible extended mission), which are necessary for detailed asteroseismic modelling, will naturally build on this work and improve stellar structure and evolution theory for intermediate-mass stars.

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### SUPPORTING INFORMATION

Supplementary data are available at MNRAS online.

**Table A1** Stellar parameters for the *TESS*  $\delta$  Sct and  $\gamma$  Dor pulsators observed at 2-min cadence during the first two pointings (Sectors 1 and 2) in the ecliptic Southern hemisphere.

**Table A2** Stellar parameters and variability type of the 2-min cadence *TESS*  $\delta$  Scuti and  $\gamma$  Dor pulsators determined in this work.

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